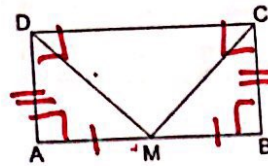


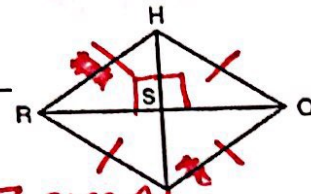
GUIDED NOTES: Proofs with Quadrilaterals

EX1. Given $\square ABCD$ is a Rectangle.
 M is the Midpoint of AB
 Prove $DM \cong CM$



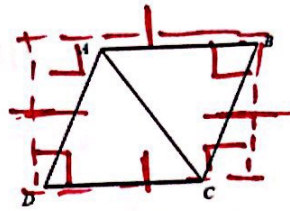
Statement	Reason
1. $ABCD$ is a rectangle	1. Given
2. M is the midpoint of \overline{AB}	2. Given
3. $\angle A$ and $\angle B$ are Right Angles	3. all rectangles have 4 right angles (defn of rectangle)
4. $AM \cong MB$	4. defn of midpoint
5. $AD \cong BC$	5. opposite sides of \square are \cong
6. $\triangle DAM \cong \triangle CBM$	6. SAS
7. $DM \cong CM$	7. CPCTC

EX2. Given $\square BRHO$ is a Parallelogram.
 $BR \cong BO$
 Prove $\angle HSR \cong \angle HSO$



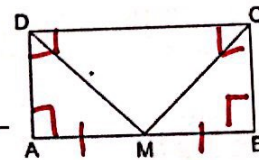
Statement	Reason
1. $BRHO$ is a \square	1. Given
2. $\overline{BR} \cong \overline{BO}$	2. Given
3. $OB \cong HR$	3. opposite sides of \square are \cong
4. $RB \cong HO$	4. opposite sides of \square are \cong
5. $BRHO$ is a rhombus	5. All sides are congruent.
6. $\angle HSR \cong \angle HSO$	6. diagonals are \perp (90°)

EX3. Given $\square ABCD$ is a Parallelogram.
 $\angle ADC$ is a Right Angle
 $AD \cong DC$
 Prove $\square ABCD$ is a Square



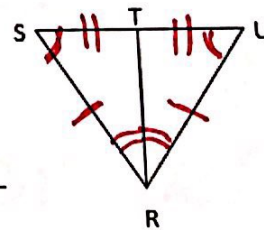
Statement	Reason
1. $ABCD$ is \square	1. Given
2. $\angle ADC$ is a right angle	2. Given
3. $AD \cong DC$	3. Given
4. $\angle ABC \cong \angle ADC \cong \angle DAB \cong \angle BCD$	4. If 1 angle is 90° , all are 90°
5. $AD \cong BC$	5. opposite sides of \square are \cong
6. $AB \cong DC$	6. opposite sides of \square are \cong
7. $\square ABCD$ is a Square	7. defn of square

EX4. Given $\square ABCD$ is a Rectangle
 $AM \cong MB$
 Prove $\triangle DMC$ is an Isosceles Triangle



Statement	Reason
1. $\square ABCD$ is a rect.	1. Given
2. $AM \cong MB$	2. Given
3. $AD \cong CB$	3. opposite sides of \square are \cong
4. $\angle A \cong \angle B \cong \angle C \cong \angle D$	4. Rectangles have 4 right angles
5. $\triangle DAM \cong \triangle CBM$	5. SAS
6. $DM \cong MC$	6. CPCTC
7. $\triangle DMC$ is an isosceles \triangle	7. An Isosceles have 2 congruent sides.

EX5. Given: $RS \cong RU$, $TS \cong TU$,
 $\angle S \cong \angle U$, $\angle SRT \cong \angle URT$
 Prove: $\triangle RST \cong \triangle RUT$



Statement	Reason
1) $RS \cong RU$, $TS \cong TU$, $\angle S \cong \angle U$, $\angle SRT \cong \angle URT$	1) given
2) $\triangle RST \cong \triangle RUT$	2) ASA, SAS

